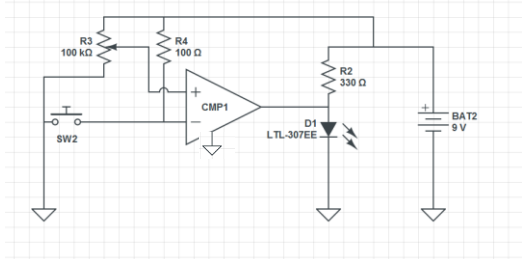
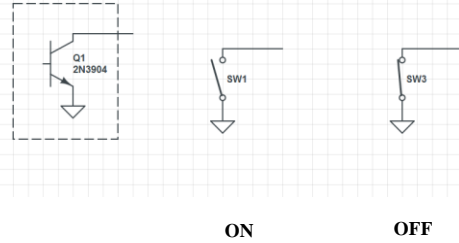


### LM311 comparator – open collector output



1

### LM311 comparator – open collector output

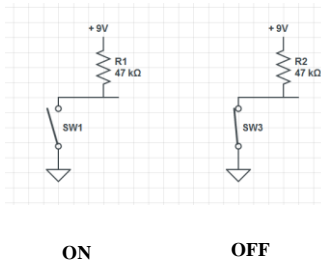


ON

OFF

2

### LM311 comparator – open collector output

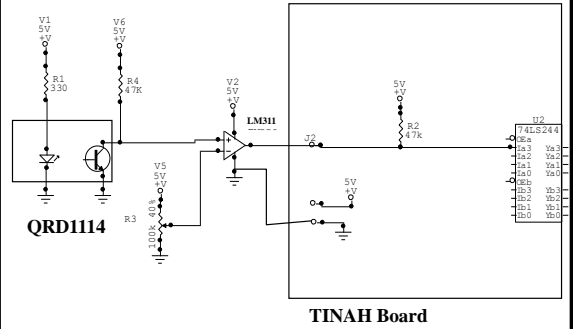


ON

OFF

3

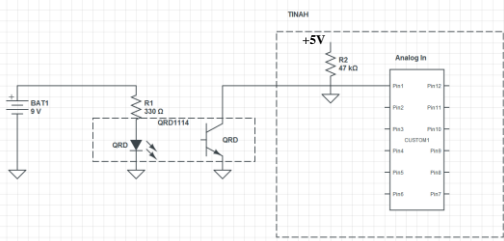
### Example: QRD1114 reflectance sensor



TINAH Board

4

### QRD1114 simple analog connection



5

### QRD1114 reflectance sensor

### QRD1113/1114 FIVE OBJECT SENSOR

Output  
ice sensing  
ensing diffused surfaces  
ge  
: sensor

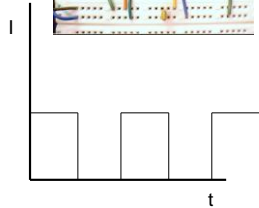
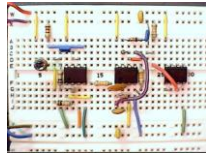


**Watch for direct cross-talk: diode and transistor can come out of the housing.**

6

## Lecture 2 – Analog circuits

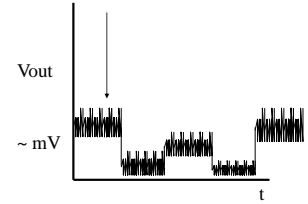
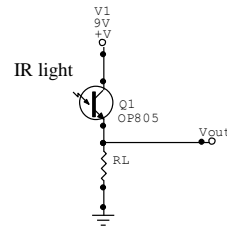
Seeing the light....



## IR detection

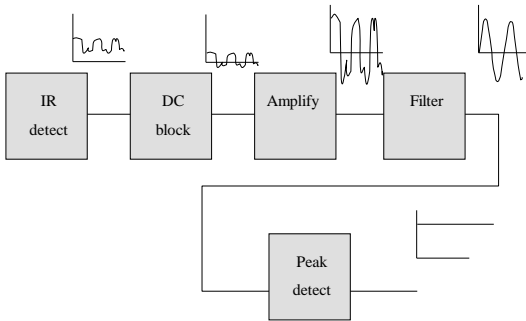
Noise sources:

- Electrical (60Hz, 120Hz, 180Hz...)
- Other electrical
- IR from lights
- IR from cameras (autofocus)
- Visible light

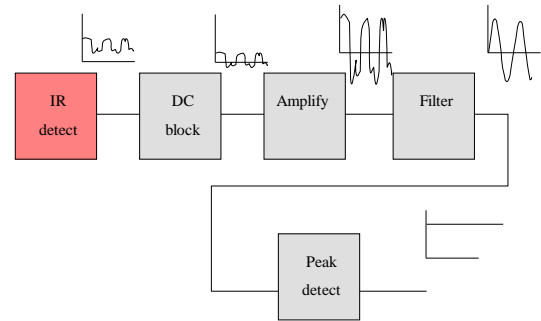


What we want: 0 – 5 V DC signal representing the IR amplitude.

## Analog circuits – filtering and detection



## Analog circuits – filtering and detection



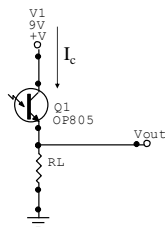
## Analog circuits – discrete devices: BJT

Application: light detection

### Phototransistor:

Acts like BJT except charge carriers generated by incident light add to the base current.

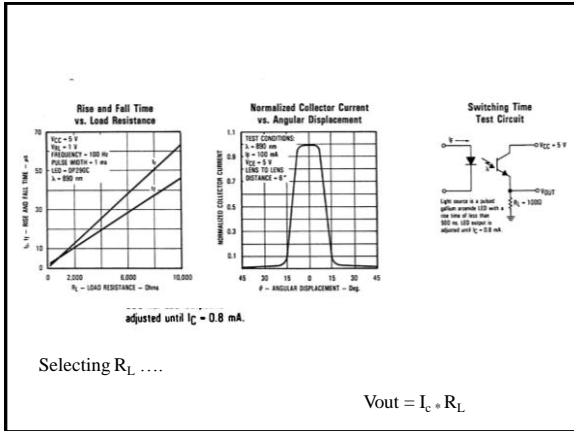
In other words,  $I_c$ ; Incident light



## IR detection

Build a circuit that:

- Uses an OP805 and a resistor to detect variations in light with a voltmeter.
- Determine whether increasing or decreasing the load resistance makes it more sensitive
- ❖ Note: OP805 will see some room light – use your hand to block it, and use the voltmeter to detect the change in signal.



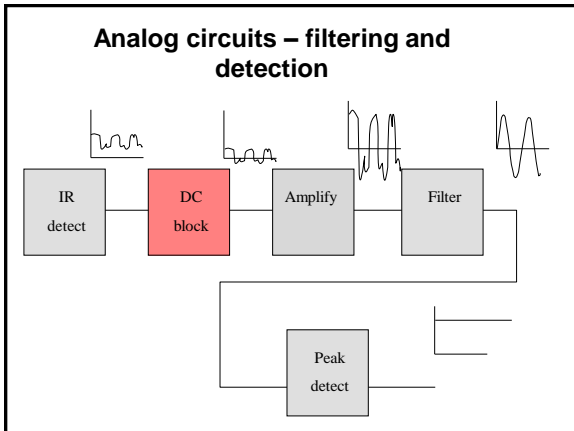
### Analogue circuits – filtering and detection

$Z_2/Z_1 = 3$

What is the result of the following:

$V_{out} =$

- 
- 
- 
- 



### Analogue circuits – DC block

Capacitors:

- Block DC
- Pass high frequencies

### DC block

Add a DC block to your photodetector circuit:

- Move your hand or light over the phototransistor and make sure the output responds only to changes in light.

### DC block

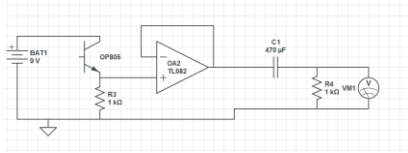
Add a DC block to your photodetector circuit:

- This will be needed for lecture to see voltage changes without a scope, but is NOT THE RIGHT USE OF AN ELECTROLYTIC CAPACITOR.

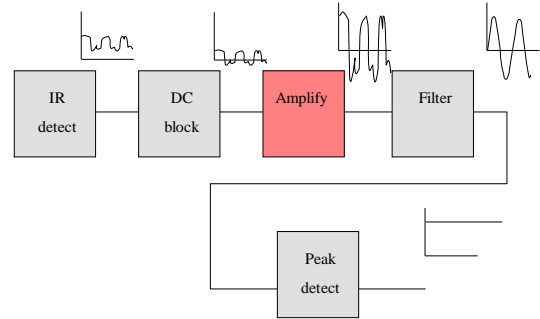
## DC block

This is a much better circuit:

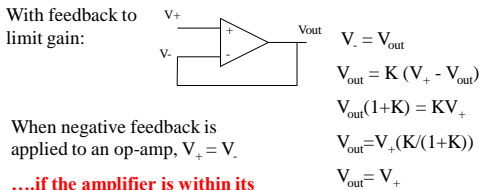
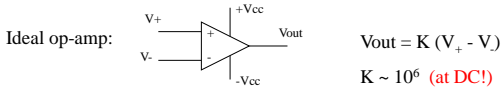
- Why?



## Analog circuits – filtering and detection



## Analog circuits: Op-amps



When negative feedback is applied to an op-amp,  $V_+ = V_-$ .

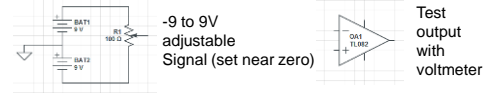
....if the amplifier is within its operating range.

The next few slides will discuss limitations

## Inverting Op-amp

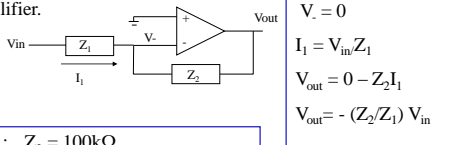
Build a circuit that:

- Wire a TL082 as an inverting amplifier with 3.3 gain
  - Use the potentiometer as input and the voltmeter to measure the output
- ❖ Use both 9V batteries
- ❖ Experiment with gain – start with a signal between 1 and -1V, to get an output of -9 to 9V



## Analog circuits: Op-amps

Eg: Inverting amplifier.



Eg 1:  $Z_2 = 100k\Omega$

$$Z_1 = 10k\Omega \quad V_{out} = -10 V_{in}$$

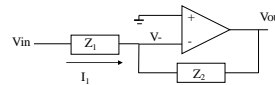
10x gain is a "reasonable" value

Eg 2:  $Z_2 = 100k\Omega$

$$Z_1 = 1\Omega \quad V_{out} = -100,000 V_{in} !!$$

Not likely....

## Analog circuits: Real Op-amps



Eg 2:  $Z_2 = 100k\Omega$

$$Z_1 = 1\Omega \quad V_{out} = -100,000 V_{in} !!$$

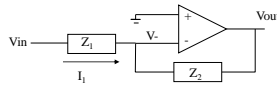
Several problems:

- $I_1 = 1A$  for  $V_{in} = 1V$  !! (excessive load for upstream circuitry)
- Gain Bandwidth product  $\sim 3$  MHz. This would limit the bandwidth of the amplifier from DC up to 30 Hz (i.e. not a very responsive system!).

## Analog circuits: Real Op-amps

Things to consider:

- Input impedance
- Gain Bandwidth product
- Bias Currents
- Voltage limitations
- Output current limitations

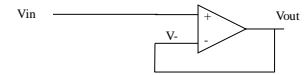


Since  $V_v$  is a virtual ground, input impedance seen by  $V_{in}$  is  $Z_1$

## Analog circuits: Real Op-amps

Things to consider:

- Input impedance
- Gain Bandwidth product
- Bias Currents
- Voltage limitations
- Output current limitations



Since Op-amp inputs source or sink very little current (depends on type), input impedance in this case is very high. This is a commonly used buffer to separate your low impedance circuit from a sensitive source that you need to measure without drawing current.

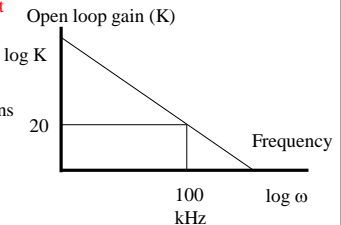
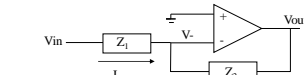
electrical characteristics,  $V_{CC1} = \pm 15\text{ V}$  (unless otherwise noted)

PARAMETER	TEST CONDITIONS	$T_A$	TL082C		TL082AC		TL082BC		TL081		UNIT
			MIN	TYP	MAX	MIN	TYP	MAX	MIN	TYP	
$V_{IO}$	Input offset voltage	$V_{IO} = 0$ $R_g = 50\ \Omega$	25°C	3	15	3	6	2	3	6	mV
$F_{VIO}$	Temperature coefficient of input offset voltage	$V_{IO} = 0$ $R_g = 50\ \Omega$	Full range	18	18	18	18	18	18	18	$\mu\text{V}/^\circ\text{C}$
$I_{IO}$	Input offset current I	$V_{IO} = 0$	25°C	5	200	5	100	5	100	5	$\mu\text{A}$
$I_{BI}$	Input bias current I	$V_{IO} = 0$	25°C	2	2	2	2	2	2	2	$\mu\text{A}$
$I_{BI}$	Input bias current I	$V_{IO} = 0$	25°C	30	600	30	200	30	200	30	$\mu\text{A}$
$V_{ICR}$	Common-mode input voltage range	$V_{IO} = 0$	25°C	-12 to 11	-12 to 11	-12 to 11	-12 to 11	-12 to 11	-12 to 11	-12 to 11	V
$V_{OM}$	Maximum peak output voltage swing	$R_L = 10\ \text{k}\Omega$ $R_g = 10\ \text{k}\Omega$	25°C	+12 to +13.5	+12 to +13.5	+12 to +13.5	+12 to +13.5	+12 to +13.5	+12 to +13.5	+12 to +13.5	V
$V_{IO}$	Large-signal differential voltage amplification	$V_{IO} = \pm 10\ \text{V}$ , $R_L = 2\ \text{k}\Omega$	25°C	25	200	80	200	50	200	50	$\text{V}/\text{mV}$
$f_{t1}$	Unity-gain bandwidth	$V_{IO} = \pm 10\ \text{V}$ , $R_L = 2\ \text{k}\Omega$	25°C	15	25	25	25	25	25	25	$\text{MHz}$
$r_{i1}$	Input resistance	Common-mode	25°C	3	3	3	3	3	3	3	$\Omega$
$r_{i2}$	Input resistance	Differential-mode	25°C	$10^{12}$	$10^{12}$	$10^{12}$	$10^{12}$	$10^{12}$	$10^{12}$	$10^{12}$	$\Omega$
$r_{CMRR}$	Common-mode rejection ratio	$V_{IO} = \pm 10\ \text{V}$ , $R_L = 2\ \text{k}\Omega$	25°C	70	86	75	86	75	86	75	dB

## Analog circuits: Real Op-amps

Things to consider:

- Input impedance
- Gain Bandwidth product
- Bias Currents
- Voltage limitations
- Output current limitations



Gain-Bandwidth limit (Hz) = Gain \* Max. Frequency = CONSTANT

electrical characteristics,  $V_{CC1} = \pm 15\text{ V}$  (unless otherwise noted)

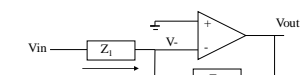
PARAMETER	TEST CONDITIONS	$T_A$	TL082C		TL082AC		TL082BC		TL081		UNIT
			MIN	TYP	MAX	MIN	TYP	MAX	MIN	TYP	
$V_{IO}$	Input offset voltage	$V_{IO} = 0$ $R_g = 50\ \Omega$	25°C	3	15	3	6	2	3	6	mV
$F_{VIO}$	Temperature coefficient of input offset voltage	$V_{IO} = 0$ $R_g = 50\ \Omega$	Full range	18	18	18	18	18	18	18	$\mu\text{V}/^\circ\text{C}$
$I_{IO}$	Input offset current I	$V_{IO} = 0$	25°C	5	200	5	100	5	100	5	$\mu\text{A}$
$I_{BI}$	Input bias current I	$V_{IO} = 0$	25°C	2	2	2	2	2	2	2	$\mu\text{A}$
$I_{BI}$	Input bias current I	$V_{IO} = 0$	25°C	30	600	30	200	30	200	30	$\mu\text{A}$
$V_{ICR}$	Common-mode input voltage range	$V_{IO} = 0$	25°C	-12 to 11	-12 to 11	-12 to 11	-12 to 11	-12 to 11	-12 to 11	-12 to 11	V
$V_{OM}$	Maximum peak output voltage swing	$R_L = 10\ \text{k}\Omega$ $R_g = 10\ \text{k}\Omega$	25°C	+12 to +13.5	+12 to +13.5	+12 to +13.5	+12 to +13.5	+12 to +13.5	+12 to +13.5	+12 to +13.5	V
$V_{IO}$	Large-signal differential voltage amplification	$V_{IO} = \pm 10\ \text{V}$ , $R_L = 2\ \text{k}\Omega$	25°C	25	200	80	200	50	200	50	$\text{V}/\text{mV}$
$f_{t1}$	Unity-gain bandwidth	$V_{IO} = \pm 10\ \text{V}$ , $R_L = 2\ \text{k}\Omega$	25°C	15	25	25	25	25	25	25	$\text{MHz}$
$r_{i1}$	Input resistance	Common-mode	25°C	3	3	3	3	3	3	3	$\Omega$
$r_{i2}$	Input resistance	Differential-mode	25°C	$10^{12}$	$10^{12}$	$10^{12}$	$10^{12}$	$10^{12}$	$10^{12}$	$10^{12}$	$\Omega$
$r_{CMRR}$	Common-mode rejection ratio	$V_{IO} = \pm 10\ \text{V}$ , $R_L = 2\ \text{k}\Omega$	25°C	70	86	75	86	75	86	75	dB

TL082: Gain\*Bandwidth = 3 MHz  
 → This means that at a gain of 100, Bandwidth is 30 kHz.

## Analog circuits: Real Op-amps

Things to consider:

- Input impedance
- Gain Bandwidth product
- Bias Currents
- Voltage limitations
- Output current limitations



Op-amp terminals can act as small current sources. These Bias Currents can become large error or offset voltages if the resistors in the circuit are large.

Eg: 20 nA bias current \* 10 MΩ = 200 mV!

electrical characteristics,  $V_{CC1} = \pm 15\text{ V}$  (unless otherwise noted)

PARAMETER	TEST CONDITIONS	$I_A$	TL081C			TL081AC			TL081BC			TL081			UNIT
			MIN	TYP	MAX	MIN	TYP	MAX	MIN	TYP	MAX	MIN	TYP	MAX	
$V_{IO}$	Input offset voltage $V_O = 0$ $R_B = 50\ \Omega$	25°C	3	15	3	6	2	3	3	5	3	5	3	mV	
$V_{VIO}$	Temperature coefficient of input offset voltage $V_O = 0$ $R_B = 50\ \Omega$	Full range	25		7.5		5		9		9		$\mu\text{V}/^\circ\text{C}$		
$I_{IO}$	Input offset current $I$ $V_O = 0$	25°C	5	200	5	100	5	100	5	100	5	100	nA		
$I_{BI}$	Input bias current $I$ $V_O = 0$	25°C	30	400	30	200	30	200	30	200	30	200	nA		
$V_{ICR}$	Common-mode input voltage range	25°C	+11	-12	+11	-12	+11	-12	+11	-12	+11	-12	V		
$V_{OM}$	Maximum peak output voltage swing $R_L = 10\ \text{k}\Omega$ $R_S \leq 2\ \text{k}\Omega$	25°C	+12	+13.5	+12	+13.5	+12	+13.5	+12	+13.5	+12	+13.5	V		
$A_{VD}$	Large-signal differential voltage amplification $V_O = \pm 10\ \text{V}$ , $R_L \geq 2\ \text{k}\Omega$ $V_{IC} = \pm 10\ \text{V}$ , $R_L \geq 2\ \text{k}\Omega$	25°C	25	200	50	200	50	200	50	200	50	200	V/mV		
$R_i$	Input resistance	25°C	3	3	3	3	3	3	3	3	3	3	M $\Omega$		
CMRR	Common-mode rejection ratio $V_{IC} = V_{CCmin}$ , $V_{IC} = V_{CCmax}$ , $R_B = 50\ \Omega$	25°C	70	80	75	80	75	80	75	80	75	80	dB		

### Analog circuits: Real Op-amps

Things to consider:

- Input impedance
- Gain Bandwidth product
- Bias Currents
- Voltage limitations
- Output current limitations

Op-amp input voltages ( $V_+$ ,  $V_-$ ) must be at least a few volts away from the power rails (+Vcc, -Vcc). Applying input voltages equal or near the power rails will cause the Op-amp to behave unexpectedly.

Rail-to-rail Op-amps are an expensive solution to this limitation.

electrical characteristics,  $V_{CC1} = \pm 15\text{ V}$  (unless otherwise noted)

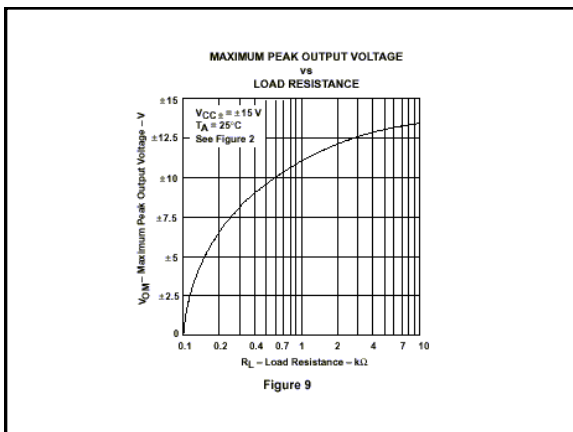
PARAMETER	TEST CONDITIONS	$I_A$	TL081C			TL081AC			TL081BC			TL081			UNIT
			MIN	TYP	MAX	MIN	TYP	MAX	MIN	TYP	MAX	MIN	TYP	MAX	
$V_{IO}$	Input offset voltage $V_O = 0$ $R_B = 50\ \Omega$	25°C	3	15	3	6	2	3	3	5	3	5	3	mV	
$V_{VIO}$	Temperature coefficient of input offset voltage $V_O = 0$ $R_B = 50\ \Omega$	Full range	25		7.5		5		9		9		$\mu\text{V}/^\circ\text{C}$		
$I_{IO}$	Input offset current $I$ $V_O = 0$	25°C	5	200	5	100	5	100	5	100	5	100	nA		
$I_{BI}$	Input bias current $I$ $V_O = 0$	25°C	30	400	30	200	30	200	30	200	30	200	nA		
$V_{ICR}$	Common-mode input voltage range	25°C	+11	-12	+11	-12	+11	-12	+11	-12	+11	-12	V		
$V_{OM}$	Maximum peak output voltage swing $R_L = 10\ \text{k}\Omega$ $R_S \leq 2\ \text{k}\Omega$	25°C	+12	+13.5	+12	+13.5	+12	+13.5	+12	+13.5	+12	+13.5	V		
$A_{VD}$	Large-signal differential voltage amplification $V_O = \pm 10\ \text{V}$ , $R_L \geq 2\ \text{k}\Omega$ $V_{IC} = \pm 10\ \text{V}$ , $R_L \geq 2\ \text{k}\Omega$	25°C	25	200	50	200	50	200	50	200	50	200	V/mV		
$R_i$	Input resistance	25°C	3	3	3	3	3	3	3	3	3	3	M $\Omega$		
CMRR	Common-mode rejection ratio $V_{IC} = V_{CCmin}$ , $V_{IC} = V_{CCmax}$ , $R_B = 50\ \Omega$	25°C	70	80	75	80	75	80	75	80	75	80	dB		

### Analog circuits: Real Op-amps

Things to consider:

- Input impedance
- Gain Bandwidth product
- Bias Currents
- Voltage limitations
- Output current / voltage limitations

Op-amp output terminals can only provide a few mA of current. Motors, lamps and similar high current devices cannot typically be driven by a normal OP-amp. High power Op-amps exist that can provide much higher current levels. Output voltage range is also limited within a few volts of the power rails.

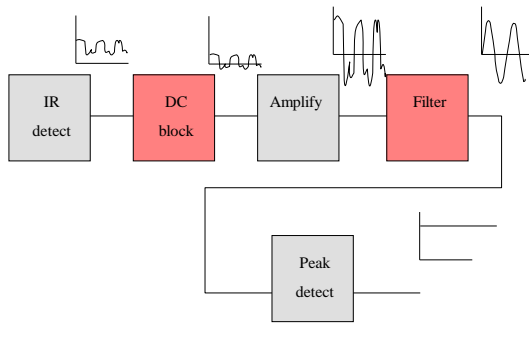


### Analog circuits: Real Op-amps

Summary:

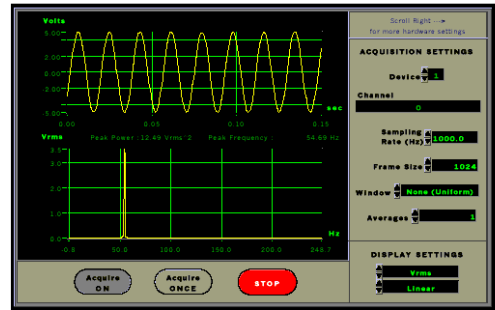
- Keep resistors in 1K to 500K range unless you really know what you're doing.
- Don't ask a single amplifier to provide huge gains (>30?)
- Don't drive motors, lamps, or other heavy loads with a normal op-amp (power op-amps exist for this)
- Keep input voltages away from the op-amp voltage rails (unless using rail-to-rail opamps)

### Analog circuits – filtering and detection



### Analog circuits: Filters

To understand filters you should first understand the difference between the TIME DOMAIN and FREQUENCY DOMAIN

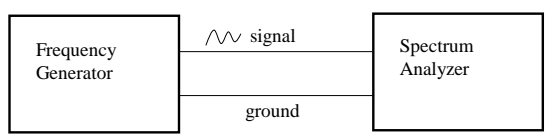


Which is the correct match between the following time-domain (left) signals and their Fourier Transforms (right) ?

a)	i)	1) a-i, b-iv, c-ii, d-iii
b)	ii)	2) a-ii, b-iv, c-iii, d-i
c)	iii)	3) a-iii, b-iv, c-i, d-ii
d)	iv)	4) a-iv, b-ii, c-iii, d-i

### Analog circuits: Filters

Demo: Frequency generator and Spectrum analyzer



### Analog circuits: Filters

“Transfer Function” =  $V_{out}/V_{in} = H(\omega)$

So:  $V_{out}(\omega) = H(\omega) * V_{in}(\omega)$

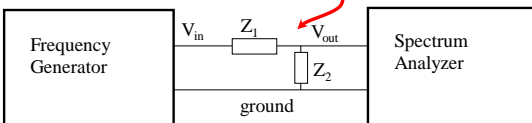
$$Z_{cap} = 1/j \omega C$$

$$Z_{ind} = j \omega L$$

$$Z_{res} = R$$

This is all in terms of  $\omega$  since, in general, impedances are functions of  $\omega$ .

Similar to voltage divider: except  $\omega$  dependent.



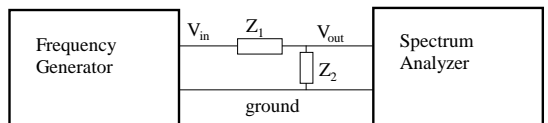
### Analog circuits: Filters

$$V_{out}(\omega) = [V_{in}(\omega)/(Z_1+Z_2)] * Z_2$$

$$H(\omega) = \frac{Z_2}{Z_1 + Z_2}$$

So:  $H(\omega) = Z_2/(Z_1+Z_2)$

For resistors, this is just the well known voltage divider:  $R_2/(R_1+R_2)$



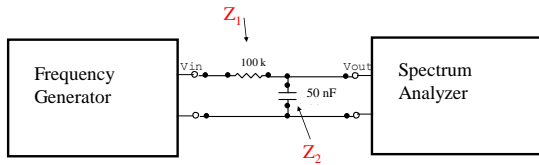
### Analog circuits: Filters

Now plug in a resistor and a capacitor:

$$Z_2 = 1/j\omega C \longrightarrow H(\omega) = \frac{1/j\omega C}{R + 1/j\omega C}$$

$$Z_1 = R$$

$$= \frac{1}{1 + j\omega RC}$$

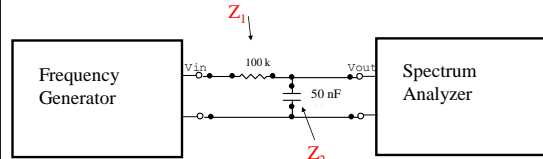


### Analog circuits: Filters

$$H(\omega) = \frac{1}{1 + j\omega RC}$$

For low frequencies (small  $\omega$ ),  $H = 1$   
 For high frequencies (large  $\omega$ ),  $H = 0$   
**This is a LOW PASS FILTER**

At  $\omega = 1/RC$ ,  $H$  begins to decrease in amplitude.



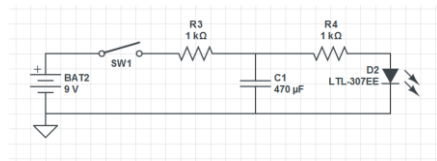
$$f_0 = 1/(2\pi RC) = 30 \text{ Hz}$$

### Low Pass Filter

Build a circuit that:

- Uses a capacitor, a switch, an LED and resistors, to implement a low pass filter.
- ❖ When the button is pressed and held, the LED should light slowly.
- ❖ Calculate the time constant – see if it matches what you see.

### Low Pass Filter



### Analog circuits: Transfer Functions

**Bode plots:** a graphical representation of frequency response on logarithmic axes.

**Vertical axis:**

$$\log_{10}(H)$$

$$\text{dBV} = 20\log_{10}(|V|)$$

**Horizontal axis:**

$$\log_{10}(f)$$

(20 is used instead of 10 so the result will represent power  $\sim V^2$ )

-3 dB =  $1/2$  as much power as 0 dB

$V_{\text{out}}$  is  $1/\sqrt{2}$  of  $V_{\text{in}}$  at -3dB

Log of frequency is used to ensure linear plots from  $1/f$  or  $1/f^n$  functions

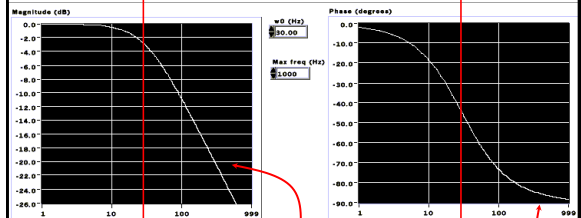
**Pole:**  $1/(1+j\omega/\omega_0)$  -20 db/decade in amplitude after  $\omega_0$ , -90 phase

**Zero:**  $(1+j\omega/\omega_0)$  +20 db/decade in amplitude after  $\omega_0$ , +90 phase

### Analog circuits: Filters

$$H(\omega) = \frac{1}{1 + j\omega RC}$$

Bode Plot:



-3dB, 30 Hz

-20db/decade / pole

- 45 deg, 30 Hz

-90 deg / pole



### Analog circuits: Transfer Functions

**Bode plots:** a graphical representation of frequency response on logarithmic axes.

$$H(\omega) = \frac{j\omega R_1 C_2}{(1 + j\omega R_2 C_2)(1 + j\omega R_1 C_1)}$$

Zero at  $\omega=0$   
 Pole at  $\omega=1/(R_2 C_2)$   
 Pole at  $\omega=1/(R_1 C_1)$

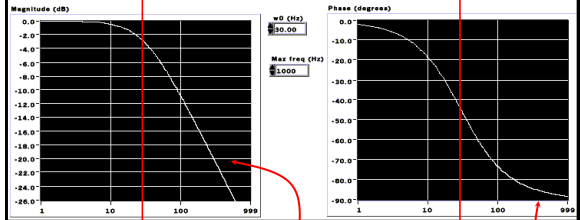
**Pole:**  $1/(1+j\omega/\omega_0)$  -20 db/decade in amplitude after  $\omega_0$ , -90 phase

**Zero:**  $(1+j\omega/\omega_0)$  +20 db/decade in amplitude after  $\omega_0$ , +90 phase

### Analog circuits: Simple Pole

$$H(\omega) = \frac{1}{1 + j\omega RC}$$

Bode Plot:



-3dB, 1/RC

-20db/decade

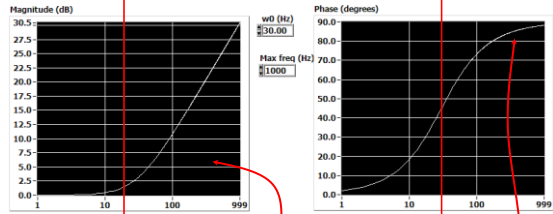
-45 deg, 1/RC

-90 deg

### Analog circuits: Simple Zero

$$H(\omega) = 1 + j\omega RC$$

Bode Plot:



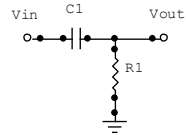
+3dB, 1/RC

+20db/decade

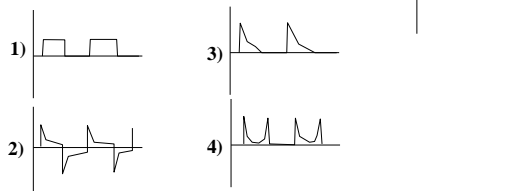
+45 deg, 1/RC

+90 deg

### Analog circuits: Filters

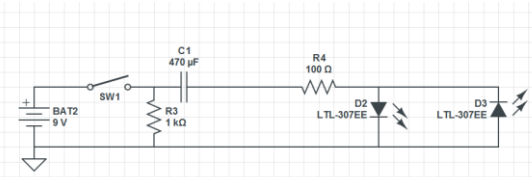


How does this circuit affect the following waveform:



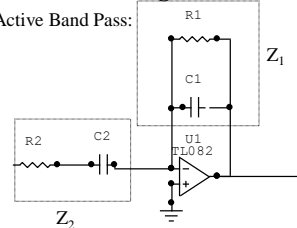
### High Pass Filter

Build and explain what this circuit does:



### Analog circuits: Active Filters

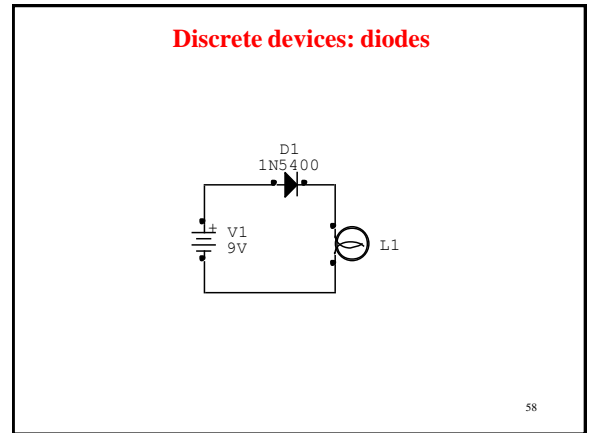
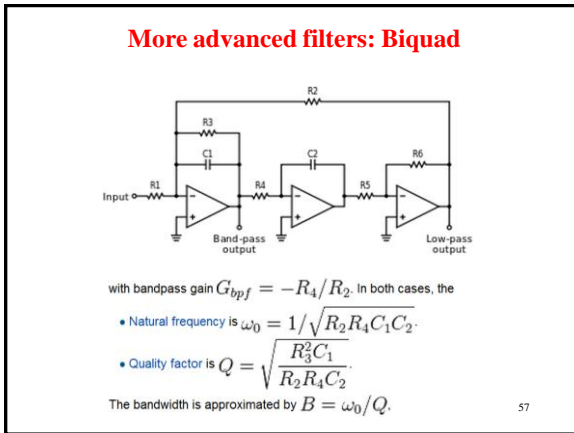
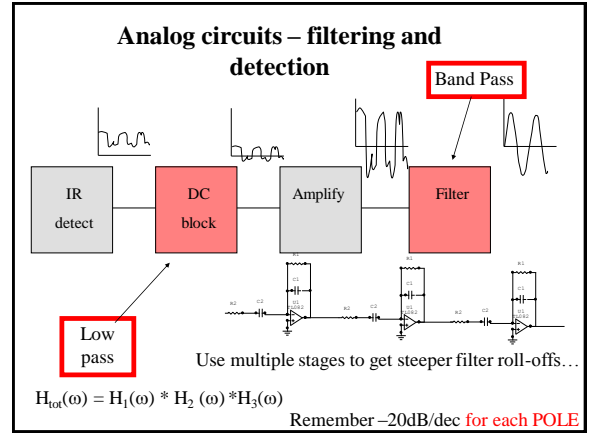
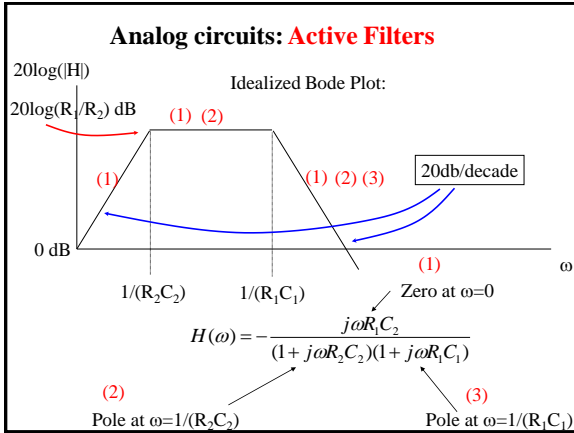
Active Band Pass:



Combines a high and a low pass filter to create a pass "band".

$$H(\omega) = \frac{j\omega R_1 C_2}{(1 + j\omega R_2 C_2)(1 + j\omega R_1 C_1)}$$

Zero at  $\omega=0$   
 Pole at  $\omega=1/(R_2 C_2)$   
 Pole at  $\omega=1/(R_1 C_1)$

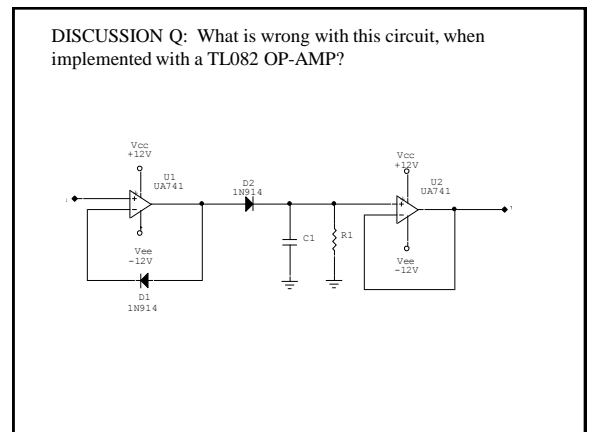


$V_{in} = 9\text{V DC}$ ,  $V_{out}$  is connected to scope only.

a)  $V_{out} = 9\text{V}$  if  $R1 = 1\text{K}$   
 b)  $V_{out} \sim -8.3\text{V}$  regardless of  $R1$   
 c)  $V_{out} \sim -8.3\text{V}$  if  $R1 = 1\text{K}$   
 d)  $V_{out} = 9\text{V}$  if  $R1$  is removed  
 e)  $V_{out} \sim -8.3\text{V}$  if  $R1$  is removed

The following are true: (Try it with your own meter)

- a
- b,c,e
- c,d
- a,e
- c



## Debugging Circuits

Learn to systematically check your circuits:

- **Power rails:**
  - Check that 15V is really 15V; if not, localize the component that is shorting the power rail. Check power at each chip.
- **Physical check:**
  - Check pinouts, missing/loose wires, etc.
- **Isolate stages** where possible
  - Check output of stage 1 – if ok plug into stage 2 and see if stage 1 output is degraded.
  - If ok check output of stage 2 etc
- **Keep wiring TIDY!**

## Lab 2 Tips

• **Capacitors** – electrolytic capacitors have polarity, may explode if inserted backwards



• **Gain** – make sure that gain does not saturate the signal, this will generate unwanted noise after filtering.

